Support for Multiple Cause Diagnosis with Bayesian Networks

Presentation Friday 4 October Randy Jagt



Decision Systems Laboratory Intelligent Systems Program University of Pittsburgh



Technische Universiteit Delft

Overview

- Introduction
- Objectives
- Research
- Implementation
- GeNIe DIAG
- Tests & Results
- Conclusions



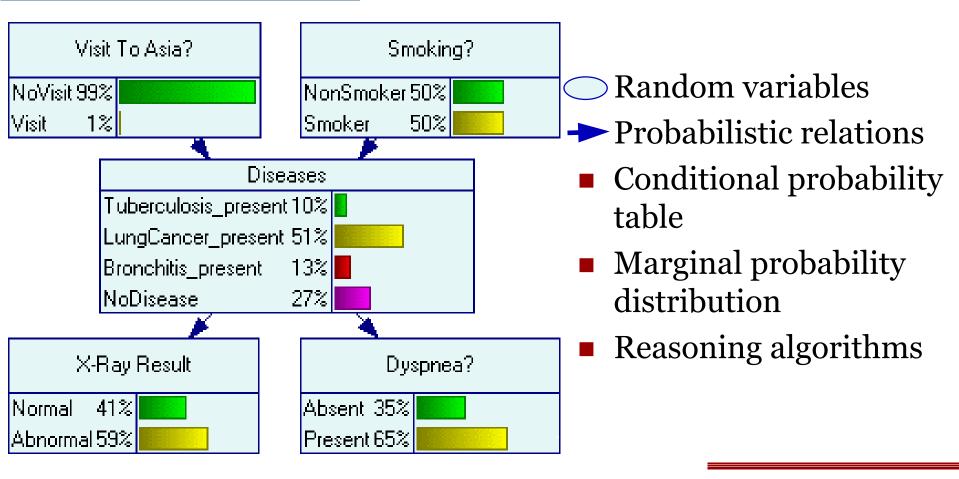


The process of determining the cause or malfunction by means of collecting information

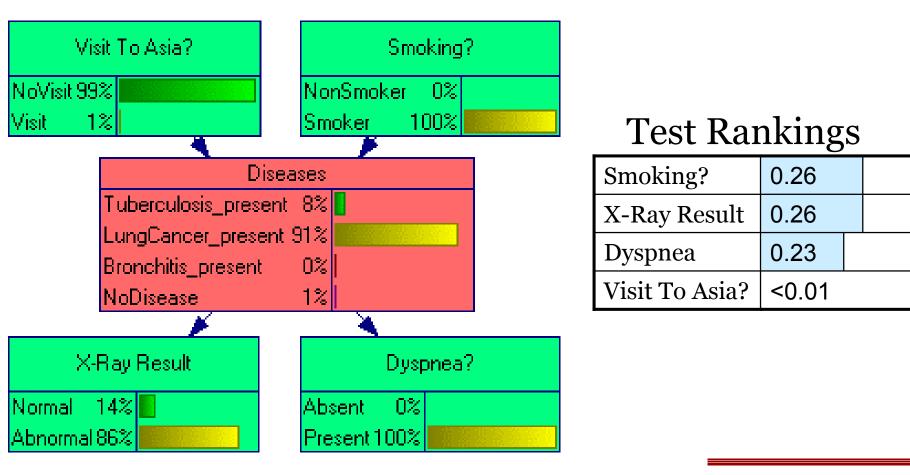
Diagnostic Expert Systems

- Primary tasks:
 - > Determine the most probable cause
 - > Determine which information to gather
- Applications
 - Medicine
 - Troubleshooting

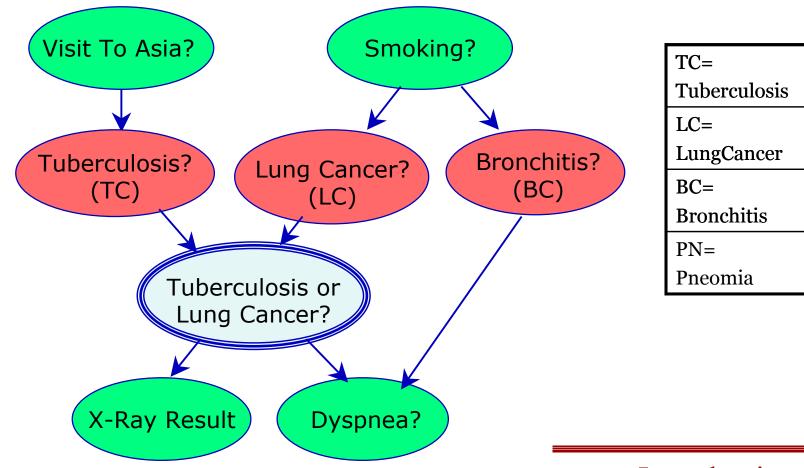
Bayesian Netwerk



Diagnostis Proces with BN



Suppose Multiple Causes



Problem Statement

- Diagnosing multiple causes leads to the following problems:
 - Presenting the combinations:
 - User has to keep track on the change of exponential amount of combinations
 - Calculational effort:

To determine the test rankings, the joint probability distribution over all combinations has to be calculated

Objectives

Investigation of Value of Information
Development of approaches which:

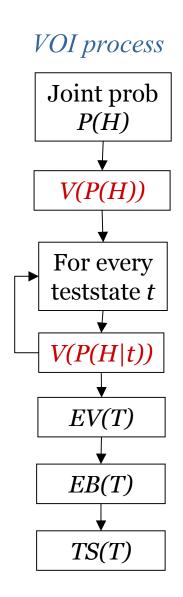
Handle the computational complexity
Allow the user to work with multiple causes

Implementation of these approaches
Testing these approaches

Objectives

Value of Information

- Value functions
 - Functions that assign a value to a distribution
- Applied
 - without a test V(P(H))
 - with a test V(P(H|T))

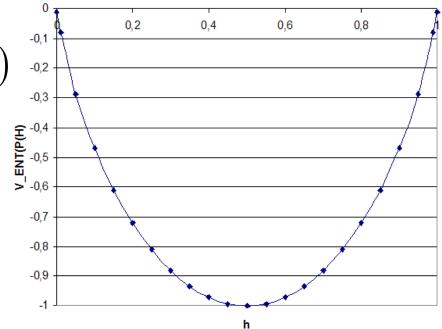


Value Function

Entropy (Shannon)

$$V_{ENT}(P(H)) = \sum_{h \in H} P(h) \log_2(P(h))$$

- Minimum at uniform probability
- Monotonic decreasing function of the number of entries



Research

Value of Information(2)

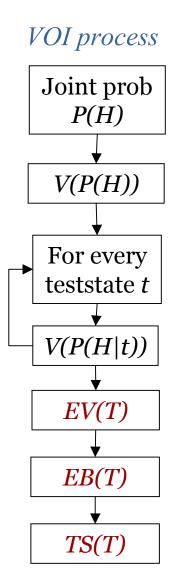
Expected Value:

$$EV(T) = \sum_{t \in T} V(P(H \mid t))P(t)$$

• Expected Benefit:

$$EB(T) = EV(T) - V(P(H))$$

• Test Strength: $TS = \frac{EB(T)}{V(P(H))}$



Marginal Probability Approach

Create new value functions that work with the marginal probability distribution



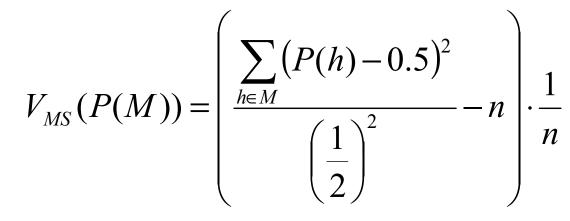
Marginal & Joint Relation

- Lower bound: $P(a,b) \ge \max\{0; P(a) + P(b) - 1\}$ Upper bound: $P(a,b) \le \min(P(a),P(b))$
- High joint probability ⇔ All high marginal probabilities
- Low joint probability ⇔ At least one low marginal probability

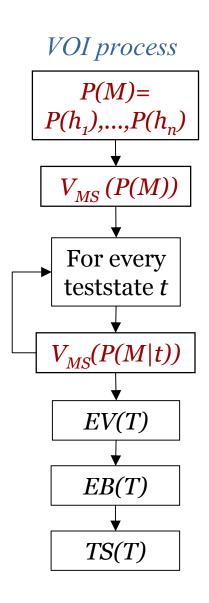
Research

Marginal VOI Process

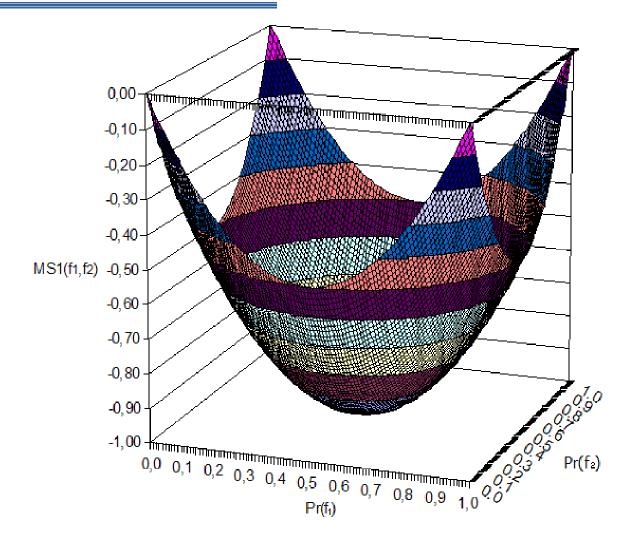
Marginal Strength Function



Minimum at probability 0.5



Marginal Strength

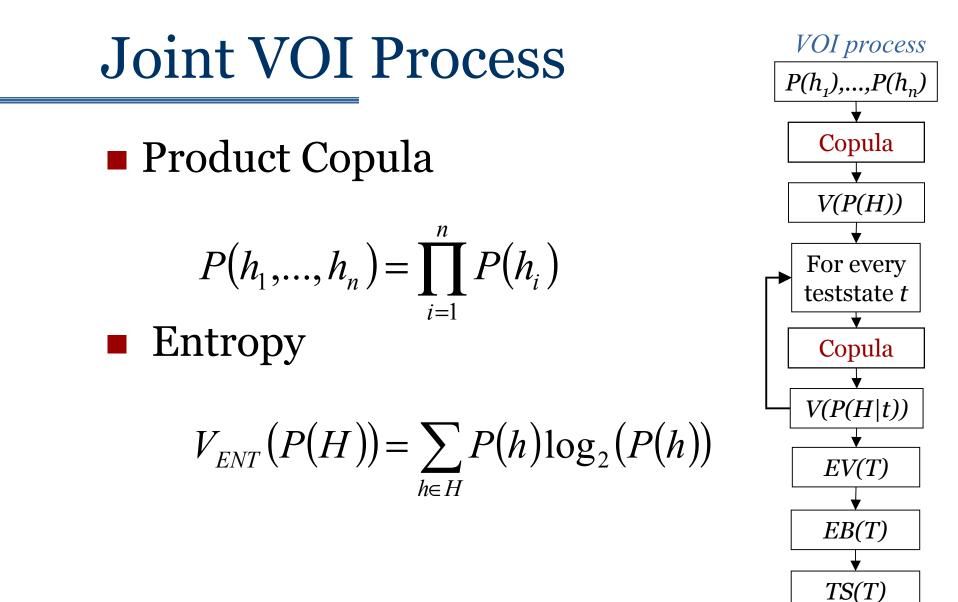


Research

Joint Probability Approach

Use of a marginal based function or Copula function to calculate the joint probability distribution





Presentational Aspect

Denote interesting states as targets

Tuberculosis?	LungCancer?	Bronchitis?
Absent	Absent	Absent
Present	Present	Present

Let the user choose targets to pursue

Target statesTC_presentLC_presentBC_present



Diagnosis with Targets

- Marginal probability approach over all pursued targets
- Joint probability approach over all the combinations with at least one pursued target and the rest

TC_absent	TC_present	TC_absent	TC_present
LC_absent	LC_absent	LC_absent	LC_absent
BC_absent	BC_absent	BC_present	BC_present
TC_absent	TC_present	TC_absent	TC_present
LC_present	LC_present	LC_present	LC_present
BC_absent	BC_absent	BC_present	BC_present

Research

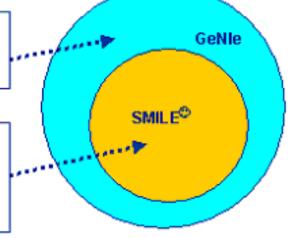
Implementation

- SMILE (Structural Modeling, Inference, and Learning Engine)
- GeNIe (Graphical Network Interface)
- Visual C++
- GeNIe DIAG

User interface: GeNIe (Graphical Network Interface). Implemented in Visual C++ in Windows 95/NT environment.

Reasoning engine: SMILE[©] (Structural Modeling, Inference, and Learning Engine).

A library of C++ classes, platform independent, well defined programmer's interface.



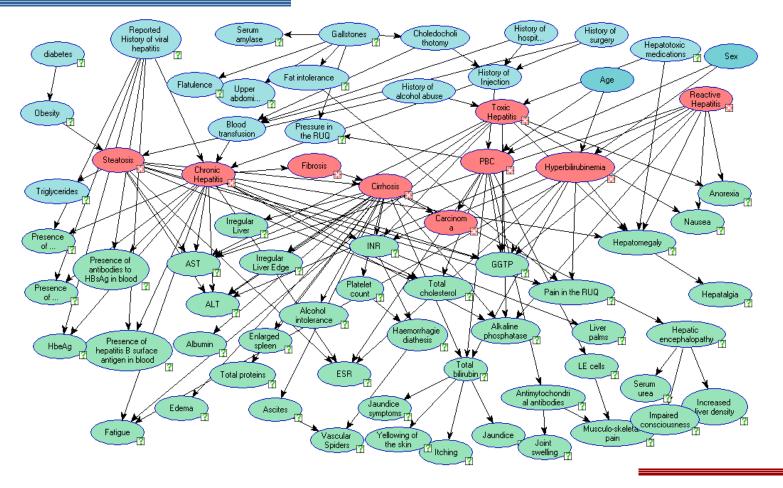
Implementation

GeNIe DIAG

🕖 GeNIe - Asia.dsl	
<u>F</u> ile <u>E</u> dit <u>V</u> iew <u>T</u> ool N <u>o</u> de <u>N</u> etwork <u>W</u> indow <u>H</u> elp	
Image: Street	This is an example graphical model useful in demonstrating basics concepts of Bayesian networks in diagnosis. It first appeared in: Lauritzen, Steffen L
For Help, press F1	NUM ///

GeNIe DIAG

Time Test



Time Test Results

Time in Seconds	Asia network 3 targets	Hepar II network 10 targets	Pitt network 47 targets
Marginal Probabiltiy Approach	0	0	0
Joint Probability Approach	0	1	>60 min
True Joint Probability	0	514	>60 min

Quality Test & ROC-Analysis

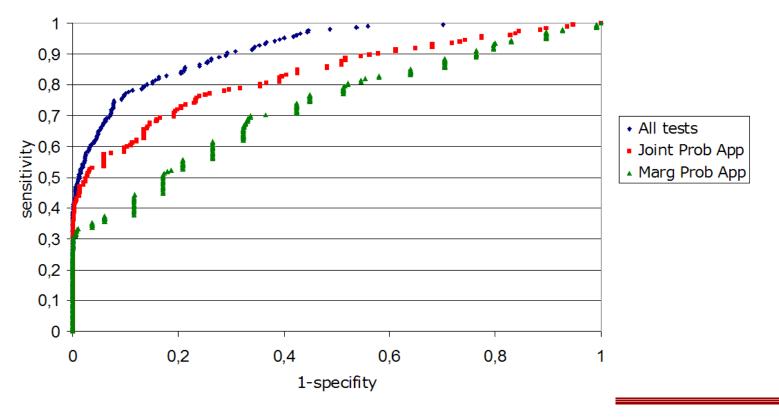
ROC-curve

Sensitivity = likelihood that a present cause was correctly diagnosed

- Specifity = likelihood that an absence of cause was correctly diagnosed
- Hepar II network

Quality Test Results

ROC-curves of the Hepar II network



Conclusions

- Development of two approaches
- Implemented in GeNIe & SMILE
- Ability to direct the diagnostic process
- Tests showed that
 - Marginal probability approach=fast but less qaulitative
 - Joint probability approach = slow but good quality

Conclusions

Future Research

- Other copula functions
- Smart algorithm for calculating the true joint probability distribution
- Expansion of the multiple cause support to multiple test ranking

Questions?